### 國立中央大學 109 學年度碩士班考試入學試題

所別: 經濟學系 碩士班 不分組(一般生)

共之頁 第一頁

科目: 總體經濟學

本科考試禁用計算器

\*請在答案卷(卡)內作答

#### 請依題號寫下答案

一、是非不定繪圖題:每題8分,共48分。請先回答是或非,再繪圖並說明理由;沒

- 1. In the IS-LM and AD-AS models, both the short-run equilibrium interest rate and the short-run equilibrium general price level fall if workers become more preferred to leisure.
- 2. Suppose that unemployment results from the minimum-wage law. Other things equal, the unemployment rate rises if households become more preferred to consumption.
- 3. In the IS-LM and AD-AS models, other things equal, both the short-run equilibrium interest rate and the short-run equilibrium general price level rise with the expected inflation rate.
- 4. Other things equal, the current saving increases with the expected future income.
- 5. In the market for loanable funds, the equilibrium interest rate falls if firms feel more pessimistic about the future.
- 6. According to the PPP theory and AD-AS model, other things equal, the currency of country A appreciates against that of country B if the central bank of country A lowers the interest paid on reserves.



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共之頁 第2頁

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### 二、問答題: 共52分。沒有推導過程或沒寫理由均以零分計。

7. Consider the following growth model, where Y is output, K is capital, I is investment, S is saving, L is the number of population (or labor), and h is human capital. The capital depreciation rate  $\delta$  and the saving rate z are constant.

$$K_{t+1} = (1-\delta) K_t + I_t$$
 $I_t = S_t = z Y_t$ 
 $Y_t = K_t^{2/3} (h_t L_t)^{1/3}$ 

Denote the population growth rate by n (i.e.  $1+n = L_{t+1}/L_t$ ).

- (a) (2  $\frac{1}{2}$ ) Based on the production function, write the output per-capita (y = Y/L) as a function of capital per-capita (k = K/L) and human capital (h).
- (b) (8  $\pm$ ) Suppose that the saving rate is z=0.4, the capital depreciation rate is  $\delta=0.1$ , and the population growth rate (n) is n=-0.02 (i.e. population decreases by 2% each year). Derive the steady-state capital per-capita (k) and the steady-state output per-capita (y) as functions of the human capital level h, respectively.
- (c) (6 分) (Continued) Suppose that the growth rate of human capital is 1.5% per year. What is the growth rate of the output per capita (y) in the steady-state? What is the growth rate of output level (Y) in the steady-state?
- 8. Consider the following Keynesian model:

$$C = 5 + 0.9Y_d$$

$$I = 40 - 5R$$

$$G = 30$$

$$T = -50 + 0.5Y$$

$$NX = 25 - 0.1Y_d$$

$$M = 140$$

$$L = 10 + Y_d - 5R$$



P = 1 (Price level is fixed at 1)

where Y is real income, C is consumption,  $Y_d$  is disposable income, I is investment, G is government spending, T is net tax, NX is net export, R is interest rate, M is nominal money stock, L is the demand for real balances, and P is price, which is fixed at P=1.

(a) (6 分) Derive the IS curve and the LM curve, respectively.

注意:背面有試題

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所別: 經濟學系碩士班 不分組(一般生)

共之頁 第三頁

科目: 總體經濟學

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(b) (4 分) Calculate the equilibrium level of real income and nominal interest rate.

- (c) (4 %) Assume that the long-run real income (potential real GDP) is  $Y_{LR}$  =\$150. The central bank adopts a monetary policy to achieve the long-run real income. What is the target level of money supply M the central bank should set? Calculate the target interest rate R under this policy.
- (d) (4 分) Plot the IS-LM diagram in a figure to indicate the original equilibrium and the new equilibrium under the counter-cyclical policy in (c).
- Onsider a two-period model in which each individual maximizes his lifetime utility  $U(C_1, C_2)$ , where  $C_1$  and  $C_2$  are the consumption levels in the first and second periods, respectively. Suppose that each individual receives income  $Y_1$  in period 1 but nothing in period 2. The lump-sum tax is  $T_1$  in the first period and no tax in the second period. Let the  $P_1$  and  $P_2$ , both exogenous to individuals, be the price level in the first and second periods, respectively. Each individual holds nominal money M in the first period and does not have a demand for money in the second period. Specifically, the individual's constraint in period 1 and 2 are:

$$C_1 + M/P_1 = Y_1 - T_1$$

$$C_2 = M/P_2$$

Each individual's lifetime utility is described as

$$U(C_1, C_2) = \ln C_1 + b \ln C_2$$
, where  $0 < b < 1$ .

- (a) (8  $\mathcal{H}$ ) Derive the individual's optimal consumption in the first period in terms of  $Y_1$ ,  $T_1$ ,  $P_1$ ,  $P_2$ , and b.
- (b) (5  $\mathcal{D}$ ) Assumed that  $P_2$  rises while other things remain unchanged. What's the impact on money demand in the first period? What is the intuition behind this result?
- (c) (5  $\mathcal{D}$ ) Continue from (a). Assume that b declines significantly while other things remain unchanged (including  $P_1$  and  $P_2$ ). What's the impact on the demand for money in period 1? What is the intuition behind this result?

